## T Value

*T represents deviation along a vector*. It is quite simply a distance with a nominal value of zero. It is found by projecting a measured point onto a surface normal vector (the "nominal vector") of the associated nominal point. The distance from this projected point to the nominal point is the T value.

Graphically, this can be represented as follows:



If you want to step through a T value by hand, this is what you need to do:

## 1) Collect your given values.

You will need the X, Y, and Z  $(x_n y_n z_n)$  of the nominal point, the I, J, K  $(i_n j_n k_n)$  of the nominal vector, and either the I, J, and K  $(i_a j_n k_n)$  of the vector defined by the actual point or the X, Y, and Z  $(x_a y_a z_n)$  of the actual point.

## 2) Find the vector defined by the actual point.

You can compute this vector as follows:

$$i_a = x_a - x_n$$
  

$$j_a = y_a - y_n$$
  

$$k_a = z_a - z_n$$

## 3) Unitize the normal vector (a.k.a. shorten its length to 1.0)

PC-DMIS for Windows is a kind and forgiving software package. If you acquired the normal vector from PC-DMIS, then it is already unitized and you need only do a name change... $(i_n j_n k_n)$  becomes  $(i_n j_n k_n)$ . You then can skip to step 4.

*a) find the length of the normal vector* 

Add up the squares of the vector components and take the square root of that value:

$$length = \sqrt{i_n^2 + j_n^2 + k_n^2}$$

*b)* use the length to unitize the normal vector

Divide each vector component by the vector length to unitize the vector:

$$i_{u} = \frac{i_{n}}{length}$$
$$j_{u} = \frac{j_{n}}{length}$$
$$k_{u} = \frac{k_{n}}{length}$$

4) Project the vector defined by the actual point onto the unitized normal vector.

This is accomplished by computing a dot product of these two vectors. The final answer is a single number which is the T value. A dot product is obtained by multiplying the two i components, the two j components, and the two k components of the two vectors then adding them all together:

$$T = (i_u j_u k_u) \bullet (i_a j_a k_a) = (i_u \times i_a) + (j_u \times j_a) + (k_u \times k_a)$$

Assuming that the surface normal vector is pointing away from the surface on which the nominal point lies, a positive value of T means that the material is too "high" while a negative value of T means that the material is too "low".

